## Random sample :

- a subset or portion of a population or set that has been selected without $\square$
- each member of the population has an $\qquad$ of selection
- Though not cases, for $\qquad$ population member can be chosen, it is still possible, in some $\square$ population member to have an $\square$ (or nearly $\qquad$ ) chance of


## Sampling bias

- errors in estimation caused by a $\square$ -representative sample $\qquad$


## Sampling error

- a $\qquad$ showing how precisely a sample $\qquad$ the population, with $\qquad$ sampling errors resulting from $\qquad$ samples and/or when the data clusters closely around the mean; also called $\qquad$


## Reliability

- the to which a study or experiment performed many times would have
$\qquad$ results


## Guided Practice

## Example 1

Mr. DiCenso wants to establish baseline measures for the 21 students in his psychology class on a memory test, but he doesn't have time to test all students. How could Mr. DiCenso use a standard deck of 52 cards to select a simple random sample of 10 students? The students in Mr. DiCenso's class are listed as follows.

| Tim | Brion | Victoria | Nick | Quinn | Gigi | Jose |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Alex | Andy | Michael | Stella | Claire | Lara | Noemi |
| Eliza | Morgan | Ian | Dominic | DeSean | Rafiq | Gillian |

- Assign a $\square$ to each student.

Assign a card $\square$ (for example, $\square \square$ to each student, as shown in the following table.

| Student | Card | Student | Card | Student | Card |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Tim | Ace of spades | Michael | 7 of spades | DeSean | King of hearts |
| Alex | King of spades | lan | 6 of spades | Gigi | Queen of hearts |
| Eliza | Queen of spades | Nick | 5 of spades | Lara | Jack of hearts |
| Brion | Jack of spades | Stella | 4 of spades | Rafiq | 10 of hearts |
| Andy | 10 of spades | Dominic | 3 of spades | Jose | 9 of hearts |
| Morgan | 9 of spades | Quinn | 2 of spades | Noemi | 8 of hearts |
| Victoria | 8 of spades | Claire | Ace of hearts | Gillian | 7 of hearts |

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 select cards.
the 21 cards thoroughly, then select the $\square$ cards.
Identify the students whose names were assigned to the chosen cards.
Samples may vary;
6 of spades: Ian King of hearts: DeSean
9 of spades: Morgan Jack of hearts: Lara 10 of spades: Andy Ace of hearts: Claire 4 of spades: Stella Queen of hearts: Gigi 2 of spades: Quinn 7 of spades: Michael
The selected cards indicate which students will be a part of the $\qquad$

## Example 2

The Bennett family believes that they have a special genetic makeup because there are 5 children in the family and all of them are girls. Perform a simulation of 100 families with 5 children. Assume the probability that an individual child is a girl is $50 \%$. Determine the percent of families in which all 5 children are girls. Decide whether having 5 girls in a family of 5 children is probable, somewhat unusual, or highly improbable.

Create a simulation using $\square$

1. Let $\qquad$ represent each of the 5 children. Put all $\square$ into your hands and
$\qquad$ them vigorously.
2. the coins into the $\qquad$ and let them land. Each coin toss represents family. Let a coin that turns up $\qquad$ represent a girl and a coin that turns up $\qquad$ represent a boy.
3. In a table, record the number of $\qquad$ for each coin toss. Repeat for a total of 100 coin tosses. The table below is the results of 100 coin tosses. Each number indicates the $\qquad$ of girls in that family. This sample is only $\qquad$ possible sample; other $\qquad$ will be different.

| 3 | 2 | 2 | 1 | 2 | 2 | 2 | 2 | 1 | 3 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 2 | 1 | 2 | 1 | 2 | 5 | 3 | 2 | 2 | 3 |
| 3 | 0 | 1 | 4 | 3 | 4 | 2 | 4 | 2 | 3 |
| 3 | 3 | 0 | 1 | 2 | 2 | 2 | 2 | 3 | 2 |
| 4 | 4 | 3 | 4 | 2 | 4 | 1 | 1 | 4 | 3 |
| 1 | 2 | 1 | 4 | 2 | 2 | 3 | 1 | 3 | 5 |
| 3 | 4 | 3 | 4 | 1 | 2 | 2 | 3 | 2 | 4 |
| 5 | 3 | 2 | 2 | 4 | 1 | 1 | 3 | 4 | 2 |
| 2 | 2 | 1 | 2 | 3 | 3 | 2 | 4 | 3 | 1 |
| 3 | 3 | 2 | 3 | 3 | 2 | 3 | 3 | 2 | 4 |

- Determine the of families with all 5 children of the same gender. Since the table only records the number of girls, a $\square$ in the table represents all boys and a $\square$ represents all girls. In the given sample, there are $\square$ families with all boys and $\square$ families with all girls; therefore, there are $\square$ families with all 5 children of the same gender.

To find the percent, divide the number of families with all 5 children of the same gender by $\qquad$ the $\qquad$

- Determine the percent of families with $\square$ girls.
Among the 100 families in the given sample, $\square$ have all girls. To find the percent, divide the number of families with 5 girls by $\qquad$ the $\qquad$
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your results.
It is important to note that there is no way to $\qquad$ with certainty whether the belief that the Bennetts have a special genetic makeup is correct. $\square$ on this sample, we can only $\qquad$ that in families who have 5 children, there is a $\square$ chance that all 5 children would be the same gender, and that there is a $\square$ chance that families with 5 children would have 5 girls.

Sampling methods that are not $\square$
$\square$ sampling:
-
$\square$ sampling

- $\square$ sampling
- $\quad$ sampling

All involy $\square$ n assignment
$\square$ e meet the criteria of simple random sampling.
sample:

- $\square$ occurring groups of population members are chosen for the sample.
- This method involves dividing the population into groups by $\qquad$ or other
$\qquad$ criteria.
- $\square$ of the groups are $\qquad$ selected, while others are $\qquad$
- This method allows each member of the population to have a $\square$ chance of selection.
- $\quad$
sampling is usually chosen to $\square$ excessive travel or $\square$ the disruption that a study may cause.


## sample:

- a sample drawn by selecting people or objects from a list, chart, or grouping at a $\qquad$ interval.
- This method involves using a natural $\square$ of population members, such as by arrival time, location, or placement on a list.
- Once the $\square$ is established, every $\qquad$ member (e.g., every fifth member) is chosen.
- If the starting number is population has a nearly $\qquad$ chance of selection.
sampling is usually chosen when relative $\qquad$ in a list may be related to key variables in a study, or when it is useful to a researcher to $\qquad$ data gathering.

sample:
- the population is $\qquad$ into $\qquad$ so that the people or objects within the subgroup share relevant characteristics.
- This method involves $\qquad$ members of the population by $\square$ that may be related to of interest.
- Once the groups are formed, members of each group are $\qquad$ selected so that the number of members in the sample with given characteristics is $\square|l| l$ the number of members in the population with the
- $\square$ sampling has been used for many years to predict the results of state and national $\square$
- a sample for which members are $\square$ in $\square$ to minimize time, effort, or expense.
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 sampling involves gathering data $\qquad$ and $\qquad$

- The of $\square$ sampling is that, in some cases, preliminary estimates of population parameters can be obtained $\qquad$
- The main of convenience sampling is that the samples are prone to
 As a result, the estimates obtained are $\qquad$ accurate and the statistics are difficult to $\qquad$
- It is unwise to use a sampling method simply $\square$ it is the most $\qquad$ Unless the sample is $\qquad$ of the population of interest, the statistics that are produced may be $\qquad$
- A sample is $\qquad$ always a better sample. There is less variability in measures taken from a large sample, but if the large sample is $\square$ the researcher will likely obtain estimates that are $\qquad$

