A sample is a $\qquad$ of the population. The $\square$ selection of samples often determines $\qquad$ . It is possible that one sample is more $\qquad$ while other samples are simply not. Conclusions based on statistical samples can be little more than guesses, and some are reckless conclusions in life-or-death matters; in many cases, it all comes down to whether the sample selected is $\square$ In medicine, business, sports, science, and other fields, important decisions are based on statistical information drawn from $\qquad$

Statistics-There are two definitions but they are related.

1. The $\qquad$ of the collection, organization, and interpretation of numerical data, especially the analysis of population characteristics by inference from sampling.
2. $\square$ data.

On a higher level, the field of statistics concerns the $\qquad$ and $\square$ of describing and making $\qquad$ about a population from a $\qquad$

An inference is a $\square$ reached upon the basis of $\qquad$ and reasoning.

A measure of the population that we are interested in is a $\square$ a numerical value that represents the $\qquad$ in a $\square$.

| We use different notation for $\square$ |
| :--- |
| Sample: $A$ statistics and $\square$ of a set <br> the mean of a sample <br> population is $\square$ |
| Population: The $\square$ <br> standard deviation of a <br> sample population is $\square$ |
| set |
| the mean of a population is $\square$ |
| standard deviation of a |
| population is $\square$ |

objects, or items in the sample are $\square$ to the $\qquad$ of the people, population.
For sampling to be $\square$ it must also produce $\square$ measures.
$\square$ refers to the $\square$ to which a study or experiment, performed many times, would have similar results. When $\square$ samples are used, there is often great $\square$ and little $\square$ among the statistics that are found.
Meaning that it is $\qquad$ reliable.

is a measure showing how $\square$ a sample reflects the with smaller sampling errors resulting from large samples and/or when the data clusters closely around the $\qquad$

In general, estimates of a population based on data from $\square$ samples are more
$\qquad$ than estimates from $\qquad$ samples.

In estimating the $\qquad$ of $a$ | $\qquad$ a sample size $\square$ than $\square$ is recommended. In estimating $\square$ $a$ $\qquad$ sample is desirable.
$\square$ is the $\square$ to which the results obtained from a sample measure what they are intended to measure.

The validity of inferences made about a population depends greatly on the amount of
$\square$ or lack of $\square$ in sampling procedures.
$A \square \quad$ is a sample in which some members of the population have a
chance of $\square$ in the sample than others. $\qquad$
$\qquad$ in the sample than others.

High levels of blood glucose are a strong predictor for developing diabetes. Blood glucose is typically tested after fasting overnight, and the test result is called a fasting glucose level. A doctor wants to determine the percentage of his patients who have high glucose levels. He reviewed the glucose test results for 25 patients to determine how many of them had a fasting glucose level greater than $100 \mathrm{mg} / \mathrm{dL}$ (milligrams per deciliter). He recorded each patient's fasting glucose level in a table,

Identify the population, parameter, sample, and statistic of interest in this situation, and then calculate the percent of patients in the sample with a fasting glucose level above 100 $\mathrm{mg} / \mathrm{dL}$.

## Patient glucose levels in mg/dL

| 99.9 | 105.4 | 131.8 | 79.7 | 66.6 |
| :---: | :---: | :---: | :---: | :---: |
| 116.7 | 111.5 | 98.1 | 86.4 | 76.4 |
| 105.8 | 107.0 | 95.7 | 87.6 | 99.1 |
| 75.4 | 106.2 | 87.6 | 89.2 | 72.4 |
| 58.9 | 86.8 | 66.0 | 53.6 | 88.1 |

Identify the population in this situation.
$\square$
Identify the parameter in this situation.
$\square$
Identify the sample in this situation.
$\square$

Identify the statistic of interest in this situation.


Calculate the statistic of interest.

where $x$ represents the number of patients with a fasting glucose level greater than $100 \mathrm{mg} / \mathrm{dL}$ and $n$ represents the number of patients in the sample.


Note: It is important to recognize that this may be an $\qquad$ estimate because the patients in sample may not be $\qquad$ of $\square$ the patients in the doctor's practice.

